

## **Linear Transforms**

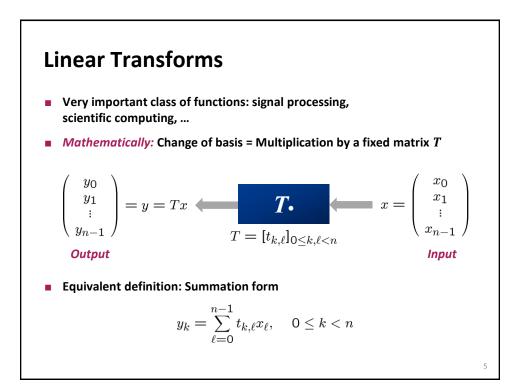
- Overview: Transforms and algorithms
- Discrete Fourier transform
- Fast Fourier transforms
- After that:
  - Optimized implementation and autotuning (FFTW)
  - Automatic program synthesis (Spiral)

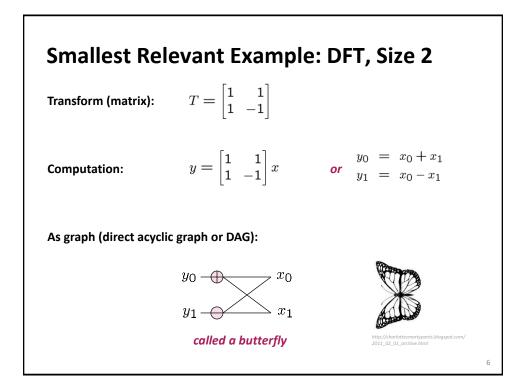
## Blackboard

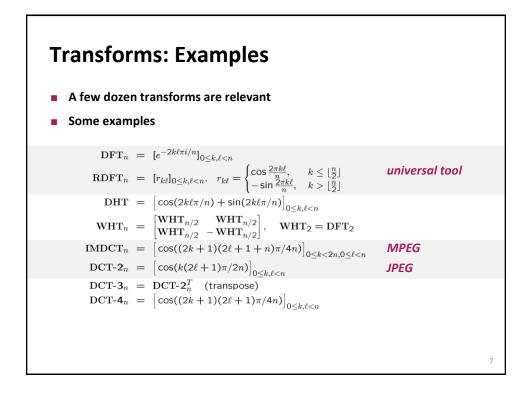
- Linear Transforms
- Discrete Fourier transform (DFT)
- Transform algorithms
- Fast Fourier transform, size 4

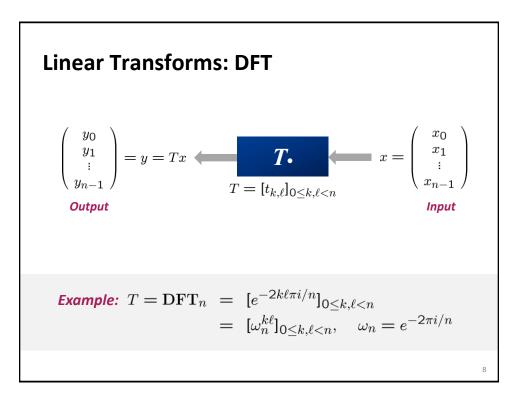
## **FFT References**

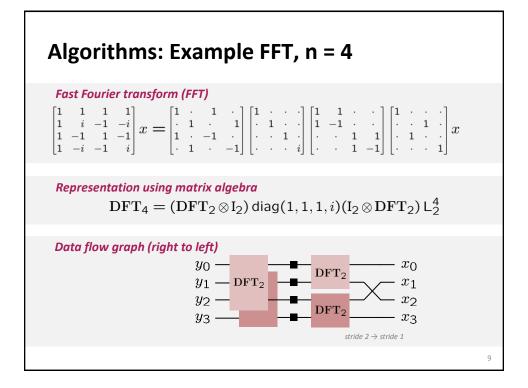
- Complexity: Bürgisser, Clausen, Shokrollahi, Algebraic Complexity Theory, Springer, 1997
- History: Heideman, Johnson, Burrus: Gauss and the History of the Fast Fourier Transform, Arch. Hist. Sc. 34(3) 1985
- FFTs:
  - Cooley and Tukey, An algorithm for the machine calculation of complex Fourier series," Math. of Computation, vol. 19, pp. 297–301, 1965
  - Nussbaumer, Fast Fourier Transform and Convolution Algorithms, 2nd ed., Springer, 1982
  - van Loan, Computational Frameworks for the Fast Fourier Transform, SIAM, 1992
  - Tolimieri, An, Lu, Algorithms for Discrete Fourier Transforms and Convolution, Springer, 2nd edition, 1997
  - Franchetti, Püschel, Voronenko, Chellappa and Moura, Discrete Fourier Transform on Multicore, IEEE Signal Processing Magazine, special issue on ``Signal Processing on Platforms with Multiple Cores'', Vol. 26, No. 6, pp. 90-102, 2009

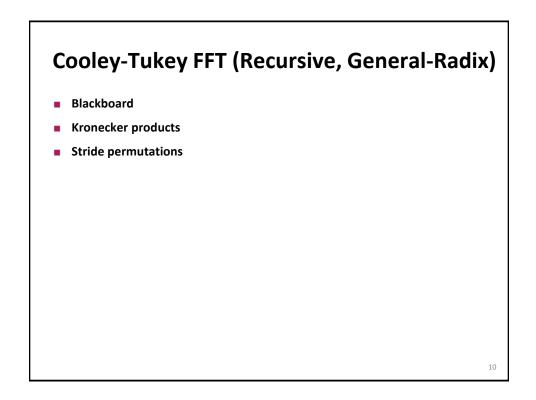


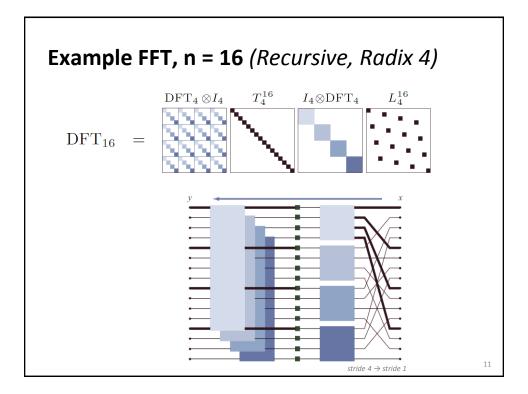


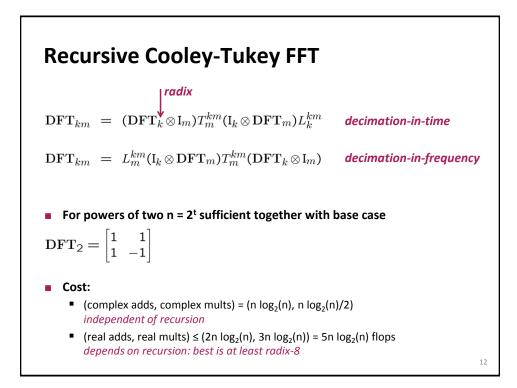


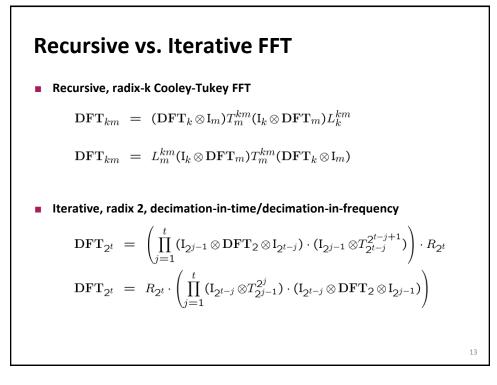


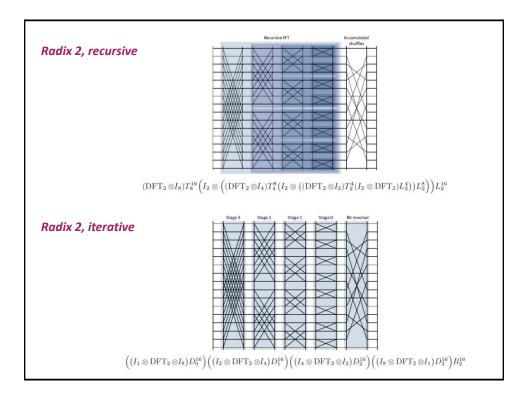












Iterative FFT con log <sub>2</sub> (n) passes the	nputes in stages of butterflies = rough the data	
<b>Recursive FFT re</b> better locality	duces passes through data =	
	on graph but different topological sor	ting
Same computati	on graph but different topological sor	ting
	on graph but different topological sor	ting
Same computati	on graph but different topological sor DFT	ting
Same computati Rough analogy:		ting

